## **COIL SPRING DESIGN**

Assume torsional modules of elasticity.

Load = 80lb., Mean Spring Diameter = 1.5", C = 11, 500,000 psi.

Assume allowable working stress's = 60,000 psi

$$d = 3 \frac{PD}{0.3S}$$
  $d = \sqrt[3]{\frac{80\# \times 1.5"}{.3 \times 60,000 \text{ psi.}}} = .188"$  Try No. 6 wire = .192 inches

Find Wahl Factor  $K = \frac{4C-1}{4C-4} + \frac{0.615}{C}$  Trial wire size  $C = \frac{D}{d} = \frac{1.5}{.192} = 7.8$  inches = Wahl Factor

$$S = 8PDK = 8x80x1.5.1.19$$
 = 51,500 psi stress less than 60,000 psi   
 (d) 3.1416 x (.192)

Use #7 Wire

Assume clearance between loaded coils = 1/16"

Then Pitch = 
$$L = B + f + d = 1/16'' + .0191 + .192'' = 0.444''$$

Clearance = 
$$B = L - f - d + 0.444'' - 0.191 - 0.177'' = .076''$$

Assume Solid Length is less than 1 - 7/16"

Number of coils = N = 
$$\frac{h}{d} = \frac{1.43"}{0.177"} = 8$$
 active coils

Therefore Solid Length =  $h = 8 \times 0.177 = 1.4$ "

Free Length = 
$$H = 8 \times 0.444'' = 3.5''$$

Pitch L Per Coil = of Loaded Spring = 1

Pitch I per coil = L - f = 0.444 - 0.191 = 0.253"/coil

## COIL SPRING DESIGN, P.2

Assume Hw = 2.5" and end coils are squared.

N = number of active coils = 
$$\frac{\text{Hw-3d}}{1}$$
 =  $\frac{2.5\text{"-3 x}.177}{.253}$  = 8 coils

When N = 8

$$H = 8 \times .444'' + 3 \times 0.177 = 4.1''$$

Total Deflection = 
$$N = (L-d) = 8 (.444" - .177") = 2.136"$$

Working load: Working Deflection: Maximum Load: Maximum Deflection

Maximum Working Load = 2.136" x 80lb/1.53" = 112 pounds

Solid height load 
$$P = 11,500,000 \times (0.177) \times 2.136 = 112$$
 pounds  $8 \times 8 \times (1.5)$ 

Working Stress: Maximum Stress: Working Deflection: Maximum Deflection

Maximum Stress 
$$S = 64,500 \text{ psi } \times 112\# = 90,000 \text{ psi} \times 80\#$$

The Ratio of Mean Spring Diameter to Wire Diameter, i.e., the "Spring Index" should be between 6 and 9, wherein 9 is ideal.